FINITE ELEMENT ANALYSIS OF BIRD STRIKES ON COMPOSITE AND GLASS PANELS

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ABSTRACT

In this final year project, a 1.82kg homogenous bird model with a simplified geometrical shape is modeled using the Lagrangian formulation. The reliability of the bird model is validated by comparing the numerical result with experimental results of a real bird of similar mass impacting normally at an impact velocity of 116m/s onto a flat rigid panel. Results are compared in terms of pressure profile, Hugoniot and stagnation pressure at the centre of the impact and the bird trajectory after the impact. The obtained numerical results are found to be comparable in terms of pressure profile and the bird trajectory. Numerical Hugoniot and stagnation pressure are higher by 33% and 20% respectively. This is attributed to the assumptions made in the formulation of the numerical model.

The modeling of bird strike using the Lagrangian Arbitrary Eulerian and Smooth Particle Hydrodynamics formulation is then investigated by modeling impact on an elastic aluminum panel. The verified Lagrangian model serves as a medium for comparison of the numerical results. The numerical results obtained from the various formulation shows close conformity implying their appropriateness as alternative in the simulation of bird strike.

The effect of curvature, of an aircraft windscreen, on the impact response in terms of effective stress at the center of the impact is also investigated. Analysis is made based on the obtained numerical results. However experimental results are not available to substantiate the conclusions made from the numerical results.

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LIST OF SYMBOLS

Р	Pressure
P _H	Hugoniot Pressure
Ps	Stagnation Pressure
μ	Miu
ρ	Density
ρ _o	Initial Density of Material
E	Internal Energy Per Volume
α	Void Volumetric Fraction (Porosity) for Bird Material
υ _r	Relative Specific Volume
υο	Initial Specific Volume of Material
υ	Current Specific Volume of Material
u	Translation in x Direction
v	Translation in y Direction
W	Translation in z Direction
$\theta_{\rm x}$	Rotation about x Axis
$\theta_{\rm y}$	Rotation about y Axis
θ_z	Rotation about z Axis
DOFs	Degree of Freedoms
K	Bulk Modulus
P.S	Penalty Stiffness

- E Young's Modulus
- W Kernel Function
- m Mass
- x Position of SPH Particle

CHAPTER ONE - INTRODUCTION

1.1 BACKGROUND

Bird strikes have been a concern to both civil and military aircrafts. Since 1988, such incidents have claimed the life of over 195 people [1]. In United States alone, more than 50,000 incidents of bird strikes were reported between 1990 and 2003.

The front facing components of an aircraft which include the nacelles, windshield, wind leading edge, compressor blade, etc are often most susceptible to such strikes. It is therefore critical to ensure that the different structural parts are able to withstand such high velocity impact or at least guarantee the safe landing of the aircraft after the strike.

Certification standards, which include verifying the structural integrity of airframes and engines, are established by U.S. Federal Aviation administration (FAA) and European Joint Aviation Authority (JAA) [2]. These empirical verifications, which result in the damage of prototypes and the biological hazard of using real birds, can be costly and time consuming. The use of computer simulation to simulate the bird impact on new structural components serves as a powerful tool for the development of new components by minimizing the number of empirical testings. It allows the impact response of different structural and material parameters to be studied before the actual fabrication of the prototypes, thus reducing time and cost incurred in empirical testing.

1.2 **OBJECTIVES**

The objective of the final year project includes

- Obtaining a realistic finite element bird model with the help of scattered reported studies.
- Investigating the modeling of bird strike using 3 different formulations namely, Lagrangian, Arbitrary Lagrangian Eulerian (ALE) and Smooth Particle Hydrodynamics (SPH) formulation.
- Investigate what effect curvature, of an aircraft windscreen, has on the impact response due to bird strike.

1.3 <u>SCOPE</u>

In this final year project, the finite element simulation was performed using LS-DYNA. A 1.82 kg, homogenous bird model with a simplified geometrical shape was modeled.

The reliability of the bird parameters was validated by simulating collision of the Lagrangian bird model at 90° onto a flat rigid panel at an impact velocity of 116m/s and comparing with reported experimental data. Parameters used for the assessment of the validity of the bird model include the pressure profile at the centre of the impact as well as the bird trajectory after the impact.

Evaluation of the 3 different finite element formulations, namely Lagrangian, ALE and SPH in the analysis of bird strike was made by simulating impact of the bird models on an elastic aluminum flat panel. The numerical results chosen for comparison include the plot of effective stress, resultant displacement and pressure at the centre of the aluminum plate. Other aspects that are compared include the bird trajectory after the impact, the ease of modeling and the computational time required.

Finally the effect of curvature, of an aircraft transparency, on the impact response was investigated. The study focuses on relative comparison of the effect of curvature instead of the actual impact response due to bird strike.

CHAPTER TWO – LITERATURE REVIEW

2.1 <u>BACKGROUND</u>

The studies of bird strikes can generally be classified into 2 categories namely hazard prevention and bird impact testing.

Hazard prevention involves collecting data from cases of bird strikes on aircraft and implementing measures to prevent them through the better understanding of the nature of strikes. This includes knowing the type of birds, the location, time of the day, season of the year, etc whereby the strike occurs.

Although measures have been implemented to prevent bird strikes from occurring, it is impossible to prevent them totally. It is therefore important to ensure that impact response on the aircraft are fully understood so as to give assurance to the pilot, passenger, etc in cases where strikes occur. This is done through bird impact testing.

Bird impact testing consists of empirical studies as well as numerical studies. Through bird impact testing, new engines and airframes are subjected to simulated and actual bird strikes. Certification of new aircraft parts are usually done empirically. These testing can be expensive and time consuming hence preliminary studies are usually done by numerical simulation before actual empirical testings.

2.2 HAZARD PREVENTION

Collision between aircraft and bird has been a concern because they threaten the safety of the people on board the aircraft, results in costly repairs and in the case of commercial aircraft, a loss in revenue. It is a hazard that threatens to weaken the public confidences towards the aviation industries. International committees such as the International bird strike committee, the U.S and Italian bird strike committee, etc [3], have been formed to counter the threat posed by bird strikes, to better understand the nature of strikes and to implement measures to prevent such strikes.

Since 1988, over 195 people have been killed world-wide as a result of bird strikes [3]. Bird strikes are not rare cases as most people professed. In the United States alone, 52,493 strikes have been reported from 1990 to 2003. Within this 14 years period, 244,510 hours of aircraft down time and \$163.51 million were loss. Analysis of strike reports has shown that the number of reported strikes constitutes only about 20% of the total number that truly occur which means that the amount of monetary losses can be much more than what is actually estimated [3 - 4]. Bird strike is therefore a much more serious problem than what most people perceived especially when the numbers of aircraft are increasing every year and becoming faster and quieter.

Generally, the number of reported strike decrease with altitude. Jetliners normally cruise at about 35,000 feet (10000m) at speeds over 500 miles per hour (224 m/s). They usually take off and land at a speed of up to 235 miles per hour (105 m/s) [6]. Reported studies [4

- 5] show that it is near the airport where aircraft are most vulnerable to bird strikes. Birds are attracted to airport due to the presence of shelter, feeding, drinking and bathing areas. In United States, 92% of the strikes occur at below 3000 feet (920m) and a total of 97% of the reported strikes occur during the taking off and landing phase of the aircraft [4]. Due to the higher proportion of strikes at take off and landing, the impact response on aircraft components, windshield, engine compressor, etc, at an impact speed of around 105m/s is therefore much studied experimentally and numerically.

The species of bird that commonly strike the aircraft varies from country to country. Of the strikes that had been reported in United States, the Waterfowl (32%), gulls (28%),

and raptors (17%) represented 77% of the reported bird strikes causing damage to USA civil aircraft, 1990-2 [3]. Bird sizes cover a considerable range which differs for different groups as well as different species Refer to appendix A for the general weight of the different species pertaining to the \underline{Fi} different groups of birds. Generally,



Figure 2.1: Glaucous Gull, Gull Species, 2.4 – 4lb

the heavier the bird the greater will be the risk for serious aircraft damage. Figure 2.1 and 2.2 shows some of the common group of birds that are involve in the collision with aircrafts.





Figure 2.2: (Left) Mallard, Waterfowl Species, 1.2 – 3.8lb (Right) Gyrfalcon, <u>Raptor Species, 2.1 – 4.4lb</u>

Airframes and engines airworthiness standard are certified by the Federal Aviation Administration (FAA) and the European Joint Aviation Authority (JAA). Due to the large variety of birds, which vary in size and weight, that are involve in bird strikes, it is not possible to ensure the airworthiness of an airframe or engine for any particular type of bird. An optimum standard is therefore chosen after weighing the various factors which includes the probability and severity of strikes, the aircraft operating environment, as well as the economic cost involve in implementing the standard. One of the requirements for airframes by the FAA for transport category aircraft requires that the aircraft be able to successfully complete a flight after impact with a 4lb (1.82kg) bird [2]. The use of bird weighing 1.82kg is therefore used for impact testing in a number of experimental and numerical studies.

2.3 <u>BIRD IMPACT TESTING</u>

Similar to bird strike certification process, experimental studies of bird strike are usually conducted by firing euthanized birds, usually chicken carcass, from gas cannon onto a target structure at designated speed. However unlike in certification test, experimental studies tested with alternative material such as gelatin, as substitute for real bird. The similarity in spatial and temporally pressure distribution on a rigid target from impact by a real bird and artificial bird of gelatin material suggest that gelatin behaves in a similar manner to real bird during impact [13 - 15]. High speed firms are used to monitor the deformation of the target and the bird trajectory at different phase of the impact. Pressure distribution and deformation on the target due to the impact are measured by mounting of suitable pressure transducer and strain gauges on the target.

Generally pressure-time plot from a rigid target due to bird impact are distinguished by a few characteristics as reported by [9]. It was found that the pressure-time plot due to

impact is characterized by a higher frequency pressure superimposing onto a lower frequency pressure as shown in figure 2.3 for example.

The pressure time plot starts with a quick rise to an initial peak pressure known as the Hugoniot pressure followed by pressure decay and then a substantial period of



steady state pressure known as the stagnation pressure. The amplitude of the pressure falls with increasing radial distance from the centre of impact. Various reported numerical studies of bird strike have documented the use of bird impact on rigid targets to validate the parameters of their finite element bird model. They obtain pressure time plot of comparable characteristics as discussed earlier [10 - 12].

Numerical simulation of bird strikes can be accomplished by a number of commerically available finite element software which include, PAM-SHOCK [7], LS-DYNA [8], etc. Before the Arbitrary Lagrange Eulerian (ALE), and the Smooth Particle Hydrodynamics (SPH) algorthigm are available in commercial finite element software, Lagrangian bird model had been an established method in the computational simulation of bird strike. However stability problem associacted with the Lagrangian bird model had been reported in a number of studies [11 - 12]. Large element distortions in the model of the bird ultimately leads to numerical errors. To tackle the problem, Airoldi and Cacchione [11] adopted a numerical strategy which removed the hydrodynamic material response in zones where numerical errors occured. In recent years, alternative numerical methods such as the ALE, and the SPH method had been explored to address the stability problem posed by the Lagrangian method and to better model the bird trajectory after impact. So far, no stability problem had been reported for numerical studies using ALE and SPH formulation.

Lagrand *et a.l* [12] modelled bird impact onto rigid targets using both the Lagrangian and ALE formulation in Radioss [17]. Results of the ALE model were found to be close to

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Lagrangian ones in terms of local pressure and global load. The simulation time is also found to be lower for the ALE formulation compared to the Lagrarangian model. Hannsen [16] used the ALE formulation to simulate bird strike on foam-based sandwich panels. The bird was modelled using ALE formulation while the sandwich panel modelled using a Lagrangian approach. Simulated results were compared with experimental ones in terms of strain and deformation behaviour of the sandwich panel. The results were found to compare well for the first mili-seconds of the event.

Other authors [10][13 - 14] used SPH method to model the bird, in which the finite element mesh is replaced by interacting particles. Alastair *et al.* [10] managed to show for an impact on a rigid target, a good agreement in the pressure pulse data between experimental and numerical result could be obtained. McCallum and Constantinou [13] on the other hand showed a good general agreement between ALE and SPH formulation for impact on an aluminum deformable plate. In [14], the SPH model was used in an impact on an aircraft wing leading edge structure. The SPH bird model was able to capture the breakup of the bird into debirs particle after its collision with the wing leading edge structure, something that was difficult to accomplish using the Lagrangian method.

The shape of the bird is usually represented as a cylinder with two hemispherical ends as in most instances; such simple geometry represents the torso of the bird [10 - 14]. Other shapes that had been experimented before include cylindrical [11] and spherical shape. Other than the simplified models, [13] modeled a multi-material bird taking the influence of head and neck during impact for larger birds into consideration. Due to the rapid deceleration at the point of impact, the material response of the bird models can be treated as a fluid as the yield stress of the bird material is greatly exceeded on impact. The bird material had been characterized as a viscous hydrodynamic fluid in [12][16]. Considering that the structure of real birds usually consists of some internal cavities such as lungs, some authors had taken the effect of porosity into consideration in the modeling of bird strike [11][18]. Figure 2.4 presents the pressure to relative volume plot for bird material with void volumetric fractions, $\alpha = 0.00$, 0.10 and 0.15. Porosity affects the Hugoniot and stagnation pressure.



Figure 2.4: Pressure to Relative Volume Plot for Bird Material with Different Void Volumetric Fractions [11]

In this final year project, as experimental studies were not carried out, the parameters of the bird model and the results used to verify the bird model is obtained from earlier published reports.

CHAPTER THREE – MODELING METHODOLOGY

3.1 GENERAL PARAMETERS

The finite element analysis of the bird strike is performed using LS-DYNA whereby its main solution methodology is based on explicit time integration. Explicit methods are more efficient compared to implicit method for fast phenomenon such as impact [19]. The keyword format is used for the input deck. The finite element mesh of the bird and the target is generated using TrueGrid^R [20]. The parameters discussed in this section apply to all 3 numerical formulations investigated, namely Lagrangian, ALE and SPH. The extent of damage that results from bird impact is governed by several parameters. Some of the more important parameters together with the respective assumptions made or values chosen for this final year project are summarized in table 3.1. The reasons for choosing the various parameters are discussed subsequently. It should be noted however that the choice of the parameters is dependent on the availability of experimental results with similar bird parameters to compare against.



Figure 3.1: Geometry of Simplified Bird Model

No.	Parameters Governing the	Assumptions or
	Impact Response of Bird Strike	Values Chosen
1	Bird Mass	1.82 kg
2	Bird Geometry	Cylinder with
		Hemispherical
		Ends (Figure 3.1)
3	Bird Density	938.5kg/m ³
4	Bird Material	Viscous
		Hydrodynamic
		Fluid

Table 3.1: Summary of Parameters Affecting Bird Strike and Respective Values Chosen

As shown in table 3.1, the shape of the bird is chosen to be a cylinder with two hemispherical ends. This simplified geometry represents the torso of the bird and is commonly used in the numerical studies of bird strike. In conjunction with the certification standard required by the FAA for transport category aircraft, the mass of the bird model is chosen to be 1.82 kg. The density of the bird model on the other hand is chosen to be 938.5 kg/m³ after taking into consideration that avian tissue are composed mainly of water with a small percentage of internal cavities such as lungs. With a mass of 1.82 kg and a density of 938.5 kg/m³, the dimensions of the bird is calculated and shown in figure 3.1. It has a length to diameter ratio of 2:1.

The pressure distribution on the target due to impact is dependent on the constitutive response of the bird model. A fluid like hydrodynamic response is chosen for the bird

material as it best represents the impact regime due to bird strike. As seen from figure 2.4, the constitutive response of the hydrodynamic bird model can be represented by a curve relating the pressure to the relative volume at different stage of the impact. This curve can be represented by a polynomial equation involving pressure and relative volume. The fluid like hydrodynamic response of the bird material model is defined by card *MAT_NULL and equation of state by card *EOS_LINEAR_POLYNOMIAL in LS-DYNA. *MAT_NULL card can be used to represent fluid like material. In the *MAT_NULL card, the material identification of the bird model is defined. The density as well as the viscosity of the fluid representing the bird is also defined in this card. The null material model must be used with an equation of state that is defined by a separate card. The card *EOS_LINEAR_POLYNOMIAL is chosen. In this card, the relationship between pressure and miu is represented by a third order polynomial equation given by

$$P = C_0 + C_1\mu + C_2\mu^2 + C_3\mu^3 + (C_4 + C_5\mu + C_6\mu^2) E ------(1)$$

Where $\mu = (\rho / \rho_0) - 1$ -----(2)

Figure 2.4 shows various curves that governs the constitutive response of the bird material. It is a plot of pressure to relative specific volume v_r .

Since $v_r = (v / v_o) = (\rho_o / \rho)$ ------(3)

It can be shown with some arithmetic that equation 1 and hence *EOS LINEAR POLYNOMIAL can be used to define the curve in figure 2.4 and hence the constitutive response of the bird model. In this final year project, the bird material is assumed to be a viscous hydrodynamic fluid as adopted by [12][16] whereby the coefficients of equation 1 is given by

 $C_n = 2250 \text{ MPa}$ for n = 1 and 0 otherwise ------(4)

Results of the simulation are generated every 0.01ms. This to ensure that sufficient resolution is given to capture the initial peak of the Hugoniot pressure which occurs within a time frame of approximately 0.02 ms. A maximum scale factor of 0.9 is set for the time step to minimize computational time but yet ensure stability.

3.2 BIRD MODEL VERIFICAITON

The reliability of the various parameters discussed earlier is first validated by simulating bird impact at a velocity of 116m/s on a rigid, flat panel using a Lagrangian bird model. The experimental results in terms of Hugoniot, stagnation pressure and the pressure profile at the centre of the rigid targets are obtained from [12] for comparison (Refer to section 4.1 for more details). A rigid target instead of a deformable one is chosen for the validation so that the bird parameters can be determined independent of the constitutive response of the target. A normal impact and a flat panel are chosen so as to simplify the modeling procedure and to introduce less disparity between numerical and experimental

conditions. The parameters are summarized in table 3.2. To a certain extent, any major difference between the numerical and experimental result will then most likely be attributed to the inaccuracy of the assumed bird parameters.

No.	Parameters Used	Assumptions or
		Values Chosen
1	Angle of Impact	Normal to
		Impacted Surface
2	Impact Velocity	116m/s
3	Shape of Impacted Surface	Flat Surface
4	Rigidity of Impacted Surface	Rigid /
		Deformable

Table 3.2: Summary of Parameters Used and Respectively Values Chosen

The finite element mesh of the rigid target is created using 4900 evenly distributed shell elements. Shell element is used since the thickness of the plate is much smaller (70 times) compared to its other dimensions. Figure 3.2 shows the geometry of the rigid plate.

The dimensions and mesh density chosen is arbitrary. The boundary of the rigid target is set by constraining the node's rotational and translational degree of freedoms at the edge of the plate. The material property of the rigid plate is defined by card *MAT_RIGID. Card *MAT_RIGID provides a convenient way of turning one or more parts consisting of beam, solid or shell elements in LS-DYNA into a rigid body.



Figure 3.2: Geometry of Rigid Plate

Elements which are rigid are bypass in the computation and no storage is allocated for any variables related to the rigid body. On one hand, this material type is cost efficient as it reduces computational time and it allows one to model a rigid target without going through the hassle of having to model a thick plate or assuming a plate with high stiffness. On the other hand, since pressure is a function of displacement, the assumption of perfect rigidity means that the pressure profile could not be obtained from the plate itself. A way to go round this problem is to obtain the pressure profile from the tip of the Lagrangian bird model itself. This is reasonable since base on Newton's third law, an action produce equal and opposite reaction, the force exerted and hence pressure exerted by the bird on the plate and by the plate on the bird at the centre of the target should be the same. It should be noted however that the pressure profile is dependent to a certain extent on the mesh distribution of the Lagrangian bird model.

3.3 <u>EVALUATION OF THE VARIOUS FINITE ELEMENT</u> <u>FORMULATIONS</u>

After validating the bird parameters as discussed in section 3.1; geometry, constitutive response, etc, that defines the bird model with the Lagrangian formulation, the bird parameters can be assumed to be valid and applied to the ALE and SPH bird model. Table 3.2 summarizes the values of the other parameters adopted. The Lagrangian bird model can serve as a medium for comparison with the ALE and SPH model. Since the 3 different bird models are created by different formulations, a more reasonable mean of relating the 3 models would be to obtain the pressure profile from the target instead of the bird so as to provide a common datum for comparison. For comparison sake, the target is remodeled to assume the property of a deformable aluminum plate. The geometry and mesh density remains unchanged. The card *MAT_ELASTIC card defines the property of the deformable aluminum target. The *MAT_ELASTIC card defines isotropic elastic material and is defined for beam, solid and shell elements. Deformable aluminum plate is used as information with regards to the property of aluminum is readily available. The various values used to define property of aluminum are shown in table 3.3.

No.	Properties of Aluminum Plate	Values Chosen
1	Mass Density	2700 kg/m ³
2	Young's Modulus E	70 e9 Pa
3	Poisson's Ratio	0.3

Table 3.3: Properties of Aluminum Plate

Sections 3.4 to 3.6 discuss the modeling of the bird specific to each of the formulations.

3.4 LAGRANGIAN BIRD MODEL

In the Lagrangian formulation, the material is bounded to the mesh, the mesh followed the distortion and movement of the material. Due to symmetry, the Lagrangian bird model can be represented using a quarter model. Figure 3.3 shows the initial position of the Lagrangian bird model and the rigid target. The bird model is position as close to the target as possible. For an impact velocity of 116m/s, the time taken for the whole bird to fully impact the rigid plate is 2.05ms. A termination time of 2.1ms is set in card *CONTROL_TERMINATION as any longer time would have wasted unnecessary computer resources. The quarter bird model is initially assigned with a mesh of 525 constant stress, hexahedral elements with finer mesh defined at the impacting end of the bird model so as to better capture the pressure distribution near the tip of the bird.





The boundary condition of the quarter bird is defined as shown in figure 3.4.

Figure 3.4: Quarter Model and Corresponding Boundary conditions (Front View)

The coupling between the Lagrangian bird and the target is represented using a surface to surface algorithm defined the contact by card *CONTACT AUTOMATIC SURFACE TO SURFACE. Using this contact card, the coupling between the bird and target is base on a penalty method whereby the amount of penetration between the slave and master side is governed by penalty stiffness. The required penalty stiffness can be calculated using the relationship between the bulk modulus between the slave and master part shown in equation 5. Incorrect penalty stiffness can lead to excessive penetration of the bird model into the rigid plate which eventually results in numerical errors. For the contact card chosen, it does not matter which side is defined as the slave and which side is defined as the master.

 $K_{\text{slave}} \times P.S_{\text{slave}} = K_{\text{master}} \times P.S_{\text{master}}$ (5)

Taking the bird as the slave part and the target as the master part and using the default penalty stiffness of 0.1 for the master part, the required penalty stiffness for the slave part to avoid penetration is calculated and shown in table 3.4.

-			
Part	Bulk Modulus K	Penalty Stiffness	
Bird (Slave)	2.2 e9 Pa	2.6515	
Aluminum	58.33 e9 Pa	0.1	
Rigid Target			
(Master)			

Table 3.4: Penalty Stiffness Defined for the Contact Card

This section discusses the initial formulation of the Lagrangian bird model. After comparison with experimental results, refinements are made to the bird model. This will be further discussed in section 4.2. The LS-DYNA keyword file of the Lagrangian model is attached in appendix B.

3.5 ARBITRARY LAGRANGIAN EULERIAN BIRD MODEL

In the ALE formulation, each element is allowed to contain more than one material. In this model, the bird is modeled to be surrounded by air pressurized at 1 bar. Unlike in Lagrangian formulation, the material does not always follow the distortion and movement of the mesh but instead is rezoned at each advection phase. Since the material does not follow the movement of the mesh, a boundary condition cannot be applied to the material representing the bird making the modeling of a quarter bird an unfeasible option. A full bird is therefore modeled despite a present of symmetry. Figure 3.5 show the initial position of the ALE bird model and the target.



Figure 3.5: ALE Bird Model and Target

The bird material is position as close to the target as possible. Care is taken to ensure that the mesh is big enough to contain the bird material regardless of the distortion of the material throughout the simulation. For an impact velocity of 116m/s, the time taken for the whole bird to fully impact the rigid plate is 2.1ms. A termination time of 2.15ms is set in card *CONTROL_TERMINATION.

The bird initial geometry and position is defined by a mesh of shell elements. Card *INITIAL_VOLUME_FRACTION_GEOMETRY fills the inside of the shell with the fluid representing the bird model, the outside of the shell with air and the intersection with a partial volume. Care should be taken in defining the orientation of the normal

vectors belonging to the shell elements as an inconsistent definition with those defined in the card will result in the spillage of the material outside the intended volume. The volume fraction supposed defined card is to be together with card *ALE MULTI MATERIAL GROUP. Card *ALE MULTI MATERIAL GROUP defines the different groups of material within the ALE elements. The same group of material will coalesce when they flow into the same element. Two groups of material namely air surrounding the bird and the fluid representing the bird is defined. The multimaterial card ensures that there is a boundary distinction between the two different groups of materials throughout the simulation. The bird and the surrounding air is modeled using an initial mesh of 3528 ALE elements In order to contain the bird material within the mesh throughout the simulation and to avoid modeling an excessive large mesh which will increase the computational time, the mesh is allowed to translate and expand with the help of card *ALE REFERENCE SYSTEM GROUP.

The coupling between the ALE formulated bird model and the Lagrangian formulated rigid plate is activated by card *CONSTRAINT LANGRANGE IN SOLID. This card provides the mechanism for coupling interaction between a (slave) Lagrangian geometric entity to a (master) ALE entity. The normal vector of the Lagrangian formulated plate should be pointed in the direction of the fluid to be coupled as shown by the blue arrows in figure 3.5. The ALE elements and the Lagrangian shell elements will not interact otherwise. Another thing to note about the card *CONSTRAINT LAGRANGE IN SOLID is the number of coupling points assigned to the surface of each Lagrangian element. NQUAD in the card defines the number of control points to detect penetration

between the contact entities. Leakage will occur if there are insufficient control points. NQUAD is generally 2 to 3 per ALE element. NQUAD is defined depending on the number of Lagrangian elements spanning each ALE element. The LS-DYNA keyword file of the ALE model is attached in appendix C.

3.6 SMOOTH PARTICLE HYDRODYNAMICS BIRD MODEL

SPH is a mesh free numerical method unlike the Lagrangian and ALE formulation. The material is represented by a set of discrete particles. Truegrid^R cannot generate a gridless model. To model the SPH bird, a finite element mesh is first generated in Truegrid^R and then manually converted to sets of discrete particles within the input deck. A full SPH bird is modeled. Figure 3.6 shows the initial position of the SPH bird model and the target captured from LS-PREPOST.



Figure 3.6: SPH Bird Model and Target
The initial position of the SPH bird model is similar to the Lagrangian bird model except that the elements are replaced by particles. A termination time of 2.1ms is set in card *CONTROL TERMINATION.

For SPH formulation, the property of a particle of interest could be obtained by the property of its surrounding particles which is governed by the kernel function and the smoothing length. The property of any particle can be obtained by summing the relevant properties of other particles which lies within a radius of 2 smoothing length. The quantity A of any particle i represented by A_i, can be represented by the equation

$$A_i(r) = \sum m_j (A_j/\rho_j) W(x_i - x_j, h)$$
 -----(6)

Where x_i and x_j are the location of particles i and j respectively. m_j and ρ_j are the mass and density associated with particle j. W is the kernel function which is a function of the smoothing length and the position of the relevant particles. The contribution of each particle to the particle of interest is weighted by the kernel function.

The SPH processor in LS-DYNA uses a variable smoothing length, keeping the same number of particles in the neighborhood of the particle of interest. The maximum and minimum value which this smoothing length varies can be defined in card *SECTION_SPH. Using a variable smoothing length optimize the computation in the region of interest whereby the smoothing length is decrease for denser region and vice versa. For the SPH bird model, the scale factor for the maximum and minimum smoothing length is set at 0.2 and 2 respectively.

A box is defined in the card *CONTROL_SPH. Particle approximation is computed for particles within the defined box. Particles that are outside the box are deactivated. This saves computational time as particles that no longer interact with the structure are eliminated.

The coupling between the SPH bird model and the target is represented using a node to surface contact algorithm. Definition of the card is similar to that defined in the surface to surface contact algorithm of the Lagrangian formulation which requires defining the slave part, the master part and the penalty stiffness. The nodes should be defined as the slave while the shell elements the master. The same penalty stiffness is used as in table 3.3. The LS-DYNA keyword file of the SPH model is attached in appendix D.

3.7 INVESTIGATION OF THE EFFECT OF CURVATURE ON IMPACT RESPONSE DUE TO THE BIRD STRIKE

A simplified finite element model of an aircraft windshield shown in figure 3.7 is modeled. The objective of modeling the windshield is to investigate what effect curvature, of an aircraft windshield, has on the impact response due to bird strike.



Figure 3.7: Cockpit Window for a Transport Aircraft [22]

The windshield as shown in figure 3.7 is used in the cockpit window for a couple of transport aircraft namely Airbus A318, A319, A320, etc [22]. As seen from the figure, it consists of at acrylic outer ply, Polyvinyl Butyral (PVB) interlayer and an acrylic inner ply.

The exact dimension of the windshield is not known. An initial flat panel of the windshield with the dimension and boundary conditions as shown in figure 3.3 and 3.4 is modeled. The only difference is that the target consists of 3 layers each of 0.002m thick instead of just 1 layer. The properties of the materials used in the manufacture of the aircraft transparency are also not known. Attempts are made to give as realistic a value to the various components as possible. The lack of data does not present a problem since only a relative comparison of the response due to different curvature is desired. The interlayer bond is assumed perfect with no de-bonding or slipping between layers during impact. This preliminary study investigates the response of the transparency of different curvature within the elastic limit of the material. The objective of the study is not to predict actual failure load.

The property of the acrylic layers are defined by card *MAT_PLASTIC_KINEMATIC.

Within the card, the parameters defined are summarized in table 3.5.

No.	Properties of Acrylic Layer	Values Chosen
1	Mass Density	1180 kg/m ³
2	Young's Modulus	3.1 GPa
3	Poisson Ratio	0.4
4	Yield Stress	73.5 MPa
5	Tangent Modulus	0
6	Hardening Parameter	0.5

Table 3.5: Properties of Acrylic Layer [23]

Properties of PVB interlayer is define by card *MAT_VISCOELASTIC. Within the card, the parameters defined are summarized in table 3.6.

No.	Properties of PVB Layer	Values Chosen
1	Mass Density	1100 kg/m ³
2	Elastic Bulk Modulus	2 GPa
3	Short Time Shear Modulus	1 GPa
4	Long Time Shear Modulus	0.69MPa
5	Decay Constant	12.6 s ⁻¹

Table 3.6: Properties of PVB Layer [21]

The amount of plate material is kept constant while varying the curvature of the plate as illustrated in figure 3.8. The various introduced curvature are shown in table 3.7 in order of increasing radius of curvature.



Table 3.7: Plate Number and Introduced Curvature

Figure 3.8: Side View of plate and Introduced Curvature

The LS-DYNA keyword file modeling the windshield as discussed is attached in appendix E.

CHAPTER FOUR – RESULTS AND DISCUSSIONS

4.1 EXPECTED RESULT FROMS THE LAGRANGIAN BIRD MODEL

The verification of the bird parameters as well as the Lagrangian bird model focus on the accurate

- 1) Modeling of pressure profile at the centre of the rigid target during the impact.
- 2) Representation of Hugoniot pressure at the centre of the rigid target.
- 3) Representation of Stagnation pressure at the centre of the rigid target.
- 4) Representation of bird trajectory after the impact.

Figure 4.1 - 4.3 and table 4.1 are the expected numerical results to be obtained from the Lagrangian bird model. They are obtained from a couple of sources. The experimental pressure-time plot at the centre of the rigid target for a 1.82kg bird with an impact velocity of 116m/s is shown in figure 4.1. Table 4.1 summarized the theoretical and experimental Hugoniot and Stagnation pressure. Figure 4.2 - 4.3 shows the bird trajectory obtained from reported numerical studies.



Figure 4.1: Pressure-Time Plot for Bird Impact on Rigid Plate at 116m/s [12]



Figure 4.2: Bird Trajectory of a SPH Bird Model after Impact [10]



Figure 4.3: Bird Trajectory of a Lagrangian Bird Model after Impact [12]

	Hugoniot Pressure	Stagnation
Theory	100MPa	6MPa
Experimental	60MPa	5MPa

Table 4.1: Expect	ed Hugoniot an	d Stagnation	Pressure	[12]
· · ·				

4.2 <u>NUMERICAL RESULTS FROM THE LAGRANGIAN BIRD</u> <u>MODEL</u>

Figure 4.4 shows the pressure time plot obtained from the element at the tip of the Lagrangian bird model which is modeled as described in section 3.1, 3.2 and 3.4. Figure 4.5 shows the bird trajectory after impact in the direction that is normal to the plate.



Figure 4.4: Pressure-Time Plot Obtained from the Lagrangian Bird Model



Figure 4.5: Bird Trajectory of Lagrangian Bird Model (In Direction Normal to the Plate)

Referring to figure 4.4, the profile of the pressure time plot predicted by the Lagrangian bird model resembles the experimental plot as shown in figure 4.1. Both plots shows a quick rise to the Hugoniot pressure at the initial instant of impact followed by pressure decay and then a period of steady flow pressure known as the stagnation pressure. From figure 4.4, The Hugoniot pressure and stagnation pressure is measured from the graph to be approximately 110MPa and 6MPa respectively. The predicted Hugoniot pressure by the Lagrangian bird model is about 85% higher than the experimental result while the predicted stagnation pressure is 20% higher than the experimental result. The Lagrangian bird model predicted that the bird material will flow on the target in an expanding disc like manner as shown in figure 4.5. This is in conformity with the results of other reported studies as shown by figure 4.2 and 4.3.

A certain degree of conformance could be obtained for the pressure profile, magnitude of stagnation pressure and the bird trajectory. However the difference of 85% between numerical and experimental Hugoniot pressure is too much. The predicted Hugoniot

pressure of 110 MPa is even higher than the theoretical Hugoniot pressure of 100 MPa. Attempts were made to acquire a better conformance between the numerical and experimental Hugoniot pressure.

The Hugoniot pressure could have been exaggerated due to the constant stress elements that are used to model the Lagrangian bird. Constant stress elements are prone to zero energy mode or hourglassing mode which could have affected the numerical result. Figure 4.6 showed the energy plot obtained from the simulation.



Figure 4.6: Energy Plot (Lagrangian Bird Model)

As seen from figure 4.6, hourglass energy constitutes about 16% of the overall energy. One way of reducing the hourglassing mode is to increase the mesh density of the Lagrangian bird. A quarter Lagrangian bird model with a denser mesh of 2107 elements (about 4 times the mesh density of the initial model) is modeled hoping that by reducing the hourglass energy, a better approximation of the Hugoniot pressure could be obtained. Figure 4.7 shows the pressure time and energy plot of the Lagrangian bird with the refined mesh. With the higher mesh density, computational time increases about 5 times, from the initial 10 minutes to about an hour. 2 conclusions are made from the plot in figure 4.4, 4.6 and 4.7.



The pressure profile of figure 4.7 and figure 4.4 looks similar. A higher mesh density does not have a substantial influence on the pressure profile although 5 times more computational time is required. The first conclusion made base on figure 4.4 and 4.7 is that the initial mesh of 525 elements for the quarter bird is sufficient to represent the pressure profile at the centre of the target due to impact. With a higher mesh density, the hourglass energy decreases as predicted. It constitutes about 10% of the total energy as shown on the right of figure 4.7. Despite the reduction in hourglass energy, the Hugoniot pressure remains unacceptably high as shown on the left of figure 4.7. It is concluded that the high magnitude of the Hugoniot pressure predicted by the Lagrangian model is

not due to the effect of the hourglass energy. In fact this can be inferred intuitively since the Hugoniot pressure occurs at the beginning of the impact where hourglass energy had not become significant yet.

In the initial bird model, a scale factor of 0.9 is used for the time step to minimize computational time. Theoretically, a smaller time step gives a better prediction to the numerical result since results from a later stage of time is predicted from results that are closer in time when a smaller time step is used. Figure 4.8 shows the pressure time plot obtained from the Lagrangian model (525 elements) with a scale factor of 0.7 for the time step.



(Lagrangian Bird Model with Lower Time Step Scale Factor)

Referring to figure 4.8, with a time step scale factor of 0.7, the Hugoniot pressure is reduced from the original 110 MPa to about 80 MPa. The difference between the

numerical and experimental Hugoniot pressure is approximately 33% compared to the previous 85%. A better agreement between numerical and experimental results is obtained with a lower scale factor. The bird trajectory and the energy plot obtained are similar to figure 4.5 and 4.6.

With a mesh of 525 elements for the quarter bird and a time step scale factor of 0.7, other bird materials are investigated to assess the reliability of the bird material used. The persistent higher Hugoniot pressure compared to experiment might be due to the inadequate bird material used since the pressure distribution on the target is dependent on the constitutive response of the bird model. The parameters of the other bird materials adopted are summarized in table 4.2.

No.	Description of Bird Material	Constants C ₀ C ₁ C ₂ & C ₃ of
		Equation 1
1	Original Bird Material Used	C _n =2250 MPa
	(Parameters Obtained from [12])	for $n = 1$ and 0 otherwise
2	Bird Material with Porosity of 0.1	$C_0 = 0$
	(Parameters Obtained from Plotting the	$C_1 = 511.7 \text{ MPa}$
	Curve of Figure 2.4 and Getting the Best	C ₂ = -8224 MPa
	Fit Curve. Refer to Appendix F)	C ₃ = 55.15 GPa
	Bird Material with Porosity of 0.15	$C_0 = 0$
3	(Parameters Obtained from Plotting the	$C_1 = 748.4 \text{ MPa}$
	Curve of Figure 2.4 and Getting the Best	$C_2 = -9622.1 \text{ MPa}$
	Fit Curve. Refer to Appendix F)	$C_3 = 36.12 \text{ GPa}$

Table 4.2: Parameters of Other Bird Material Used

Figure 4.9 shows the pressure time plot obtained from the Lagrangian bird model with bird material of porosity 0.1 and 0.15. Figure 4.10 shows the pressure time plot of the different bird material plotted on the same graph.





Referring to 4.10, the profile of the pressure time plot resembles the one plotted with the original bird material. This shows that all three material models are adequate to a certain extent in representing the pressure distribution on the rigid target due to the impact of the bird. The only significant difference observed from using the different material model is in the Hugoniot pressure. The Hugoniot pressure measured from the pressure time plot of figure 4.9 for the bird material with porosity of 0.1 and 0.15 is approximately 120 MPa and 90MPa respectively, both of which are higher than the Hugoniot pressure predicted by the bird model of the original material. In fact, the original bird material model that is used best represent the pressure measured experimentally from a rigid target due to the impact of a 1.82 kg bird with an impact velocity of 116 m/s.

After refining the Lagrangian bird model and investigating the reliability of the bird material used, a refined Lagrangian bird model with the original bird material, the original mesh density and a time step scale factor of 0.7 is modeled. The final numerical results are summarized in table 4.3. As seen from table 4.3, close resemblance could be obtained for the characteristic of the pressure time plot as well as the bird trajectory after impact. Higher pressure is obtained from the numerical simulation.

No.	Verification Parameters	Numerical Results	Comments
1	Characteristic of Drogguro	Figure 4.9	Class recombines to the
1	Characteristic of Pressure	Figure 4.8	Close resemplance to the
	Time Plot (Peak, Decay,		experimental plot (Figure
	Steady State)		4.1)
2	Hugoniot Pressure	80 MPa	33% difference from
			experimental result
3	Stagnation Pressure	6 MPa	20% difference from
			experimental result
4	Bird Trajectory after	Figure 4.5	Trajectory resembles that
	Impact		of an expanding disc.
			Results similar to those
			obtained from past
			reported studies (Figure
			4.2 - 4.3)

Table 4.3: Final Results Obtained from the Lagrangian Bird Model

The higher pressure obtained could be due to the various assumptions made in the numerical model. Using the card *MAT_RIGID, the plate is assumed to be perfectly rigid. The boundary of the target is constraint by fixing the degree of freedom of the nodes at the edge of the target in all directions. These two assumptions might be too idealized resulting in the higher numerical pressure obtained. Perfect rigidity is an idealized condition which cannot be realized in real life. In reality, any 'rigid' plate deforms to a certain extent on impact. Some of the force is absorbed when the target deforms or give way on impact resulting in the lower experimental pressure obtained. The effect of rigidity on the pressure measured from the target could in fact be observed

from figure 4.13 whereby a deformable target is used instead of a rigid one. As seen from figure 4.13, a lower peak pressure is observed when the target is deformable. This further proves that rigidity of the target does affect the impact response due to bird strike, at least in terms of the pressure measured after the impact. In experimental impact test, the plate would most likely be bolted or clamped. The bolt and clamp might give way due to the high impact force experienced from the impact. By assuming a boundary condition whereby the edges are perfectly constrained is not an accurate representation of the real experiment condition.

The various discrepancies might also be due to the idealization made in the bird model. The shape of the bird is assumed to be a cylindrical with two hemispherical ends. The material property of the bird is assumed to be homogenous and isotropic. In reality, real bird lack homogeneity, isotropy and symmetry. Furthermore, experimental studies are usually accompanied with factors that are beyond control such as the orientation of the bird on impact, the point where the initial impact is etc. Numerical model can never totally predict the experimental result due to the above conditions. A better prediction of the experimental results will usually be accompanied by a corresponding increase in computational cost for the numerical model.

The numerical results obtained from the Lagrangian bird model are overall acceptable. Predicting a higher pressure is more acceptable than predicting a lower pressure since an aircraft that can take higher load is safer than one that can take lower load.

4.3 <u>EVALUATION OF THE VARIOUS FINITE ELEMENT</u> <u>FORMULATIONS</u>

The ALE and SPH bird model are modeled as discussed in section 3.1, 3.3, 3.5 and 3.6. The bird parameters as validated by the Lagrangian bird model are used. Results from the Lagrangian bird serves as a baseline for comparison. The numerical results are obtained from an element at the centre of a deformable aluminum plate modeled using the parameters of table 3.3.

In the assessment on the suitability of the SPH and ALE formulation in modeling bird strike based on the Lagrangian formulation, there are in fact many aspects of numerical results that can be compared against. In this preliminary assessment of the various formulations, the numerical results that are chosen for comparison includes the plot of effective stress, resultant displacement and pressure at the centre of the aluminum plate as well as the energy plot. Other aspects that are compared in this study include the bird trajectory after the impact, the ease of modeling and the computational time required.

Figure 4.11 to 4.13 shows the numerical results obtained from the various formulations. These results are taken for comparison after the respective formulations are compared with a higher mesh density or higher density of particles of their own formulations whereby no significant difference in the results are observed. Refer to Appendix G for the plots of the various formulations.



Referring to figures 4.11 to 4.13, the simulated results for the various formulations show close agreement with one another, at least in terms of the trend showed by the curve of the various formulations. It should be noted that the curve for the ALE formulation should be translated a few milliseconds to the left as the initial time of contact occurs at a later stage compared to the Lagrangian and SPH formulation. This is because the ALE bird is initially position further away from the plate than the SPH and Lagrangian bird model.

Referring to figure 4.12, the resultant displacement plot has the closest agreement among the three plots compared. All three formulations show an increasing trend in the magnitude of the resultant displacement up to about 1.75 milliseconds whereby it reaches a maximum and then decrease thereafter. All three displacement curve shows approximately similar gradient up till the maximum point. There is a slight difference in gradient for the downward part of the displacement plot which resulted in a difference in the final resultant displacement. The prediction of the 3 different bird model shows less agreement when the elastic plate starts to deform back to its original shape.

Referring to figure 4.11 and 4.13, all 3 formulations predicted the same trend for the effective stress plot and the pressure plot. Similar to the displacement plot, the plots of all 3 formulations showed close conformity up till about 1.75 milliseconds, the onset of greater variation between the 3 plots. The effective stress and pressure plots predicted by the 3 different formulations shows greater disagreement at termination time compared to the resultant displacement plot. This is because effective stress and pressure are both

functions of displacement. Since there is a discrepancy in the prediction of displacement, this discrepancy manifest itself in the calculation of effective stress and pressure thus explaining the greater variation at termination time (1.75ms onwards) in the effective stress and pressure plot.

Figure 4.14 to 4.16 shows the energy plot for the various formulations after the impact. Figure 4.14 shows the internal energy plot, figure 4.15 shows the kinetic energy plot and figure 4.16 shows the total energy plot. As observed from figure 4.16, the total energy lost is lowest for the Lagrangian bird model compared to the ALE and SPH bird model. Theoretically the SPH model should give a lower lost in total energy compared to the Lagrangian model as problem such as hourglass energy are not present in SPH model. However this is not the case as observed in figure 4.16. This is probably because a quarter bird is modeled for the Lagrangian model while on the other hand, a full model is modeled for the SPH and ALE bird model. Alternatively, a more proper meshing of the SPH model using a SPH generator as oppose to the unconventional replacement of the element nodes to SPH particles might perhaps results in a lower lost in the total energy. As observed from figure 4.16, there is a sharp drop in the total energy for the ALE model for the first 0.5 milliseconds after which the total energy remains relatively constant. Referring to figure 4.14, the ALE model has a non-zero initial internal energy. This is attributed to the internal energy of the air surrounding the ALE bird model. The initial total energy lost is probably the internal energy of the air surrounding the ALE bird model. All three models show a decrease in kinetic energy after the impact and a corresponding increase in internal energy as observed from figure 4.14 and 4.15. Referring to figure 4.16 and neglecting the effect of the internal energy of the air for the ALE model, Lagrangian model best conserve energy followed by the ALE model and then the SPH model.





<u>Figure 4.16: Total Energy Plot</u> <u>A for Lagrangian, B for ALE, C for SPH)</u>

Figure 4.17 to 4.18 shows the bird trajectory after impact for the SPH and ALE bird model respectively. The bird trajectory after impact for the Lagrangian bird is similar to the one shown in figure 4.5. All 3 models show close resemblance in terms of bird trajectory after impact. It should be noted here however that this applies only if the bird is not split up into parts or debris after impact. If the bird were to split up into debris due to impact on a sharp edge (wing leading edge for example) the Lagrangian formulation might not be able to give an accurate representation of the bird trajectory after impact. In a sense, the ALE and SPH formulation are more versatile as they are more able to represent a wider variety of impact conditions.







Comparing the ease of modeling the bird of the various formulations, it is relative easier to model the SPH and the Lagrangian model compared to the ALE model. The SPH and Lagrangian model requires only the definition of the particle's or element's position in space. Modeling of the ALE model requires more effort on the other hand. This is because the ALE model requires the bird material to be contained within the ALE mesh at all time throughout the simulation. The meshing of the ALE model requires some trial and error and it is only through simulation that one is able to know if the mesh had adequately contain the bird material. This trial and error process to ensure the most efficient mesh takes up valuable preprocessing time.

Finally table 4.4 shows the computational time required by the various formulations. This includes formulation base on the higher mesh or particle density as well. To reinstate, the various results compared earlier are based on the bird model with the lower mesh density or particle density.

No.	Bird Model	Mesh Density / Number of	Computational
		Nodes	Time
1	Lagrangian Model	525 elements for a quarter	5 minutes
	(Coarse Mesh)	model	
2	Lagrangian Model	1568 elements for a quarter	14 minutes
	(Denser Mesh)	model	
3	ALE Moel	3528 elements	3 hours 45 minutes
	(Coarse Mesh)		
4	ALE Model	10000 elements	6 hours 34 minutes
	(Denser Mesh)		
5	SPH Model	2662 particles	4 minutes
	(Less Particles)		
6	SPH Model	5566 particles	15 minutes
	(More Particles)		

|--|

Referring to table 4.4, the ALE bird model takes up much more computational time compared to the Lagrangian and SPH model. With regards to computational time, it is possible to model a quarter Lagrangian or SPH bird model but not a quarter ALE bird model. This is because it is not possible to apply a boundary condition to the bird material within the ALE mesh. The SPH and Lagrangian model is therefore comparatively more efficient in terms of computational time.

The numerical results as shown in this section show close resemblance between the 3 formulations. Therefore it can be concluded that other than using the classical approach in simulation of bird strike, alternatives like the ALE and SPH model can be used as well.

Various advantages and disadvantages pertaining to the different formulations are discussed in this section. It should be noted however the advantages and disadvantages discussed is dependent on the degree of proficiency and understanding of the different formulations by different individuals.

4.4 EFFECT OF CURVATURE ON IMPACT RESPONSE

The impact response of the various layers of the transparency namely the acrylic outer and inner layer and the PVB middle layer as discussed in section 3.7 is investigated in terms of effective stress. The effect of an increase in curvature of the transparency is next investigated.

Figure 4.19 shows the effective stress of the various layers of a transparency with zero curvature due to the impact, predicted by the Lagrangian bird model.



Figure 4.19: Impact Response of Transparency with no Curvature (A for Outer layer, B for Middle Layer, C for Inner Layer)

As seen from figure 4.19, all 3 layers experienced a sharp rise of different magnitude in the effective stress due to the initial shock at impact. The PVB layer showed by the green line attains a lower initial peak compared to the acrylic layers. This is probably due to the lower stiffness of PVB compared to acrylic. The acrylic layers each reach a maximum effective stress value after a certain amount of time which signifies that the yield point of the acrylic layer is most probably reached. The inner acrylic layer represented by the blue line reaches maximum effective stress at the initial shock while the outer acrylic layer at a later stage of time. This is probably because tensile stress experienced by the inner acrylic layer is more significant compared to the compressive stress experienced by the outer acrylic layer.

Comparing the effective stress of the different layers due to a difference in the curvature, figure 4.20 to 4.22 shows the effective stress experienced at the outer, middle and inner layer respectively, as a result of a difference of curvature. As observed from figure 4.20 to 4.22, the finite element model predicted that a curved transparency experienced a higher magnitude of effective stress at the initial point of impact. This is due to the higher stiffness of a curved transparency as compared to a flat transparency. Referring to figure 4.20, the finite element model predicted that for the outer acrylic layer, the one with a curvature experienced a higher effective stress for the first 0.4ms compared to the one with infinite radius of curvature. After the first 0.4ms, no significant difference could be observed between the 2 plots as the effective stress tends towards yield stress. The finite element model predicted a higher effective stress experienced at the middle PVB layer by the flat transparency compared to the curved transparency some times after the initial

contact. The difference in effective stress becomes more significant after 0.4ms as observed from figure 4.21. Finally for the inner acrylic layer, finite element model predicted no significant difference in the effective stress experienced for either a curved or flat transparency some times after the initial contact.







Figure 4.21: Impact Response of Middle Layer of Transparency (A for Flat Target, B for Target with 0.5m Radius of Curvature)



Figure 4.22: Impact Response of Inner Layer of Transparency (A for Flat Target, B for Target with 0.5m Radius of Curvature)

Looking at the effect of an increase in curvature, it can be concluded from the above discussion that an increase in curvature cause an increase in effective stress experienced by all layers at the initial point of contact. After the initial contact, there is an increase in effective stress experienced by the acrylic outer layer while a decrease in effective stress experienced by the PVB middle layer. Due to the sharp rise to yield point at the initial point of impact, the effective stress experienced by the inner acrylic layer after the initial contact is not much affected by the presence of curvature

The effective stress of transparencies with intermediate curvature, (between infinity to 0.5m radius of curvature) as shown in table 3.7 is plotted and attached in appendix H. Generally the gradual increasing or decreasing trend of the effective stress can be observed from the plots attached in the appendix.

CHAPTER FIVE – CONCLUSIONS & RECOMMENDATIONS

5.1 CONCLUSIONS AND RECOMMENDATIONS

The results obtained from the simulation of the impact of the Lagrangian bird model on a rigid target showed that results obtained from numerical simulation is comparable to experimental one in terms of pressure profile, Hugoniot and stagnation pressure. Both Hugoniot and stagnation pressure obtained are higher than the experimental results which might be attributed to the various assumptions made in modeling the numerical model.

Simulation of bird impact on an elastic aluminum flat panel using different formulations namely Lagrangian, ALE and SPH yields comparable numerical results. The ALE and SPH method provides alternatives to the Lagrangian formulation for the simulation of bird strike. The pros and cons of using the various formulations have been briefly discussed in this report. Depending on the requirement, different formulations can be used under different circumstances so as to achieve the most effective outcome. However the effectiveness and efficiency of using the various formulations depends on the proficiency of individual as discussed earlier.

The effect of curvature, of an aircraft transparency, on the impact response due to bird strike has been investigated. However there is a lack of experimental result to validate the numerical result.

The numerical study of bird strike has been a much studied topic. Large amount of money can be saved in the validation of aircraft components with numerical simulations before the actual testing. This final year project focus on simplified models as the exact geometrical shape and material properties of the various aircraft components are usually not readily available in literature. If more information is available, a more realistic model of the aircraft component could be modeled. This includes a more realistic geometric shape or material model that better represents the aircraft. With a more realistic model, more areas of investigation regarding bird strike can be look into. For example, numerical results can be used to determine the different composition of the aircraft material that achieves the greatest strength with the least amount of material.

APPENDIX A – GENERAL WEIGHT OF SOME SPECIES OF BIRDS

Table A1: Weight of Some North American Gull Species

Bird Species	Weight (lbs)
Great Black-backed Gull	2.3-5.0
Glaucous Gull	2.4-4.0
Herring Gull	1.6-3.3
Ring-billed Gull	0.83-1.4
Iceland Gull	1.9

Table A2: Weight of Some North American Water Fowl Species

Bird Species	Weight (lbs)
American White Pelican	9.9-30
Mute Swan	3.2-16.5
Tundra Swan	14-21
Canada Goose (the "maxima" race)*	11.0-16+
Canada Goose (the "interior" race)*	6.8-10.4
Canada Goose (the "Canadensis" race)*	7.3-13.8
Snow Goose	5.1-6.6
Brant	1.9-4.0
American Black Duck	1.6-3.5
Mallard	1.2-3.8
Northern Pintail	1.3-2.4
Gadwall	1.4-2.3

Bird Species	Weight (lbs)
Bald Eagle	9.1-11.8
Gyrfalcon	2.1-4.4
Turkey Vulture	2.5-3.5
Red-tailed Hawk	2.3-2.7
Rough-legged Hawk	1.7-2.7
Peregrine Falcon	1.4-2.1
Northern Harrier	0.65-1.66
Broad-winged Hawk	0.93-1.1
American Kestrel	0.24-0.26

Table A3: Weight of Some North American Raptor Species

Above Information obtained from [4]

APPENDIX B – KEYWORD FILE OF THE LAGRANGIAN BIRD MODEL

*KEYWORD	
*TITLE	
bird strike simulation	
*CONTROL_TERMINATION	
	0.0
*CONTROL_TIMESTEP	
0.0 0.900000 0 0.	0.0 0 1
*CONTROL_HOURGLASS	
*CONTROL_ENERGY	
^DATABASE_GLSTAT	
1 0000-05	
1 0 0 - E	
	TT D
\$# aid	title
γ# CIU 1	
Ś# ssid msid sstvo mstv	sboxid mboxid spr mpr
Ś# fs fd dc v	vdc penchk ht dt
S# sfs sfm sst ms	sfst sfmt fsf vsf
26.5150 1.000000 0.0 0.	
\$# soft sofscl leidab maxpa	sbopt depth bsort frcfrg
	0.0
*PART	
	- Dort 1 defines the hird
1 1 1	Fait I defines the bird
*SECTION_SOLID	
1 1	
*MAT_NULL	
1 938.5000 0 0.00100	0.0 0.0 0.0 0.0
\$*EOS_LINEAR_POLYNOMIAL	
\$ 1 0 511.70e6 -8224.4	6 55.15e9 0.0 0.0 \$0.0
\$ 0.0	
\$*EOS_LINEAR_POLYNOMIAL	
\$ 1 0 748.40e6 -9622.1	6 36.12e9
\$	
*EOS_LINEAR_POLYNOMIAL	
1 0 2250e6	EOS for the bird
*PART	material with porosity
	material with porosity
*SECTION_SHELL Part 2 def	ines the target
2 0	-
\$^MAI_RIGID_IIILE	
¢ 2 2700 00007 0000-10 0 2000	
\$ 2 2700.00007.0000e+10 0.3000	0 0.0 0.0 0.0 Ş
4 4	
Y *MAT FI.ASTIC	
2 2700 00007 00000+10 0 20000	
0.0 0.0 0.	0.0 0.0
	Material definition card for the rigid
	material definition cald for the fight
	and elastic plate respectively

\$ \$ NODES \$ *NODE 1,-0.114000000,0.00000000E+00,0.0000000E+00,5,7 2,-0.113009997,0.00000000E+00,1.057733782E-02,2,6 3,-0.110074371,0.00000000E+00,2.078727446E-02,2,6 ... ••• ••• \$ \$ ELEMENT CARDS FOR SOLID ELEMENTS \$ *ELEMENT_SOLID 1,1,1,37,43,7,2,38,44,8 2,1,37,73,79,43,38,74,80,44 3, 1, 7, 43, 49, 13, 8, 44, 50, 14... ••• \$ \$ ELEMENT CARDS FOR SHELL ELEMENTS \$ *ELEMENT_SHELL_THICKNESS 1,2,793,829,830,794 0.100000E-01,0.100000E-01,0.100000E-01,0.100000E-01 2,2,829,865,866,830 0.100000E-01,0.100000E-01,0.100000E-01,0.100000E-01 3,2,865,901,902,866 0.100000E-01,0.100000E-01,0.100000E-01,0.100000E-01 ••• ... •••

*END

APPENDIX C – KEYWORD FILE OF THE ALE BIRD MODEL

```
*KEYWORD
*TITLE
bird strike simulation
*ALE_REFERENCE_SYSTEM_GROUP
1,1,4,0,0,0,0
*DATABASE_MATSUM
1.0e-5
*CONTROL_TERMINATION
0.00215
*CONTROL_TIMESTEP
0.0, 0.9
*DATABASE_BINARY_D3PLOT
1.0e-5
*DATABASE_GLSTAT
1.0e-5
*CONTROL_ALE
0, 1, 2, -1.0
*ALE_MULTI-MATERIAL_GROUP
1, 1
3, 1
*CONSTRAINED_LAGRANGE_IN_SOLID
4,1,1,1,4,4,2,1
*MAT_NULL
1,1.225,0,0
*MAT_NULL
3,938.5,0,0.001
*EOS_LINEAR_POLYNOMIAL
3,0,2250e6
*EOS_LINEAR_POLYNOMIAL
1,0,0,0,0,0.4,0.4,0
250000,1
*MAT_ELASTIC
2,8000,200.0E9,0.3
*MAT_ELASTIC
         4 2700.00007.0000e+10 0.300000
                                                0.0
                                                           0.0
                                                                     0.0
*SECTION_SOLID
1, 11
*SECTION_SOLID
3, 11
*SECTION_SHELL
2, 0
*SECTION_SHELL
4, 0
*PART
                             Part 1 defines the bird
1, 1, 1, 1 -
*PART
                          Part 2 defines the shell containing the bird material
2, 2, 2
*PART
                              Part 3 defines the air surrounding the bird
3, 3, 3, 3 -
*PART
                            Part 4 defines the target
4, 4, 4
*INITIAL_VOLUME_FRACTION_GEOMETRY
1, 1, 1
```
```
1, 0, 2
2, 1, 0
*INITIAL_VELOCITY_GENERATION
1, 2, 0.0, 116.0
*LOAD_SEGMENT_SET
1,1,1,0
*LOAD_SEGMENT_SET
2,1,1,0
*LOAD_SEGMENT_SET
3,1,1,0
*LOAD_SEGMENT_SET
4,1,1,0
*LOAD_SEGMENT_SET
5,1,1,0
*LOAD_SEGMENT_SET
6,1,1,0
*DEFINE_CURVE
1
0.000,0.0
0.00001,100000.0
0.0021,100000.0
Ś
$ NODES
Ś
*NODE
1,0.129999995,-0.349999994,-0.349999994,7,7
2, 0.129999995, -0.349999994, -0.340000004, 7, 7
3,0.129999995,-0.349999994,-0.329999983,7,7
•••
...
$
$ ELEMENT CARDS FOR SOLID ELEMENTS
*ELEMENT_SOLID
1,1,6250,6475,6490,6265,6251,6476,6491,6266
2,1,6475,6700,6715,6490,6476,6701,6716,6491
3,1,6700,6925,6940,6715,6701,6926,6941,6716
•••
...
...
$
$ ELEMENT CARDS FOR SHELL ELEMENTS
Ś
*ELEMENT_SHELL_THICKNESS
1,4,72,1,2,73
0.100000E-01,0.100000E-01,0.100000E-01,0.100000E-01
2,4,143,72,73,144
0.100000E-01,0.100000E-01,0.100000E-01,0.100000E-01
3,4,214,143,144,215
0.100000E-01,0.100000E-01,0.100000E-01,0.100000E-01
•••
•••
...
$
$ Face set face1
Ś
*SET_SEGMENT
1,0.000E+00,0.000E+00,0.000E+00,0.000E+00
6489,6264,6279,6504,0.000E+00,0.000E+00,0.000E+00,0.000E+00
6714,6489,6504,6729,0.000E+00,0.000E+00,0.000E+00,0.000E+00
•••
•••
•••
$
$ Face set face2
$
*SET_SEGMENT
2,0.000E+00,0.000E+00,0.000E+00,0.000E+00
10990,10975,10976,10991,0.000E+00,0.000E+00,0.000E+00,0.000E+00
```

```
11005,10990,10991,11006,0.000E+00,0.000E+00,0.000E+00,0.000E+00
•••
•••
...
$
$ Face set face3
Ś
*SET_SEGMENT
3,0.000E+00,0.000E+00,0.000E+00,0.000E+00
6250,6475,6490,6265,0.000E+00,0.000E+00,0.000E+00,0.000E+00
6475,6700,6715,6490,0.000E+00,0.000E+00,0.000E+00,0.000E+00
•••
•••
•••
$
$ Face set face4
$
*SET_SEGMENT
4,0.000E+00,0.000E+00,0.000E+00,0.000E+00
6250,6265,6266,6251,0.000E+00,0.000E+00,0.000E+00,0.000E+00
6265,6280,6281,6266,0.000E+00,0.000E+00,0.000E+00,0.000E+00
....
•••
•••
$
$ Face set face5
Ś
*SET_SEGMENT
5,0.000E+00,0.000E+00,0.000E+00,0.000E+00
6461,6460,6685,6686,0.000E+00,0.000E+00,0.000E+00,0.000E+00
6911,6910,7135,7136,0.000E+00,0.000E+00,0.000E+00,0.000E+00
•••
...
•••
$
$ Face set face6
Ś
*SET_SEGMENT
6,0.000E+00,0.000E+00,0.000E+00,0.000E+00
6250,6251,6476,6475,0.000E+00,0.000E+00,0.000E+00,0.000E+00
6475,6476,6701,6700,0.000E+00,0.000E+00,0.000E+00,0.000E+00
...
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*END

APPENDIX D – KEYWORD FILE OF THE SPH BIRD MODEL

*KEYWORD *TITLE LS-DYNA keyword *CONTROL SPH	d deck	by LS-PRE					
1	11	.0000e+20	0	500	0	0.01	.0000e+15
*CONTROL_TERMII 0.002100 *CONTROL_CONTA 0, 0, 0, 2, 2	NATION 0 CT	0.0	0.0	0.0			
*CONTROL_HOURG	LASS						
*DATABASE_BINAN le-5 *DATABASE_GLST le-4 *CONTROL_ENERG	RY_D3PL AT Y	OT					
2							
\$# ssid	msid	odes_TO_Su sstyp	mstyp	sboxid	mboxid	spr	mpr
1 \$# fs 0.0 \$# sfs 26.515	2 fd 0.0 sfm 1.0	4 dc 0.0 sst 0.0	3 VC 0.0 mst 0.0	vdc 0.0 sfst 1.000000	penchk 1 sfmt 1.000000	bt 0.01 fsf 1.000000	dt .0000e+20 vsf 1.000000
*PART							
1 *SECTION_SPH	1	1	1		Part 1 defi	nes the bir	ď
1 1.1 *MAT NULL	200000	0.200000	2.000000	0.01	.0000e+20	0.0	
1 938 *EOS LINEAR PO	.50000	0.0 T.	0.001000	0.0	0.0	0.0	0.0
1 0.0 *PART	0.02 0.0	.2500e+09	0.0	0.0	0.0	0.0	0.0
2	2	2_		Part 2 defi	ines the ta	raet	
*SECTION_SHELL	2	1 000000	2	1 art 2 acr		n n	1
0.1 *MAT FLASTIC	0.1	0.1	0.1	0	0.0	0	1
2 270	0.00007	.0000e+10	0.300000	0.0	0.0	0.0	
1 116	.00000	0.0	0.0	0.0	0.0	0.0	
2 116 3 116	.00000	0.0	0.0	0.0	0.0	0.0	
*DEFINE_BOX 1 -0.1	114000	0.121000	-0.350000	0.350000	-0.350000	0.350000	
*ELEMENT_SHELL \$ \$ ELEMENT CARD:	_THICKN S FOR S	ESS HELL ELEME	INTS				
° 1	2 2	663 273	5 2736	2664			
0.010000	00 2 2	0.0100000	0 0.0 7 2808	1000000 2736	0.01000	000	
0.010000	00 2 2	0.0100000		1000000	0.01000	000	
0.010000	00	0.0100000	0.0	1000000	0.01000	000	

••• ... ••• *ELEMENT_SPH 6.837e-4 1 1 2 1 6.837e-4 6.837e-4 1 3 *NODE \$ \$ NODES \$ -0.03570391 -0.02938028 -0.08344734 -0.03570391 -0.03924946 -0.04207675 1 -0.08607367 2 -0.08816797 -0.02251898 3 ••• *SET_NODE_LIST 1,0.,0.,0.,0. 1,122,243,364,485,606,727,848 969,1090,1211,1332,1453,1574,1695,1816 1937,2058,2179,2300,2421,2542,12,133 ••• ••• ... *END

APPENDIX E – KEYWORD FILE OF THE AIRCRAFT WINDSHIELD

*KEYW	IORD							
*.L.T.L.P	15 							
bird	strike	simulatio	on					
*CONT	ROL_TE	RMINATION						
0.0	01500	0	0.0	0.0	0.0			
*CONT	ROL_TI	MESTEP						
	0.0	0.900000	0	0.0	0.0	0	1	
	0.0							
*CONT	ROL_HO	URGLASS						
4								
*CONT 2	ROL_EN	ERGY						
*DATA	BASE_G	LSTAT						
*	סאפד ס	זסני עסגאד						
1 000		INARI_DJEI						
*		ATTOTIM						
DAIA	BASE_M	AISUM						
1.0 e	2-5 17 CTT 7TT							
*CONT \$#	cid	TOMATIC_SU	JRFACE_TO_S	SURFACE_TIT	.Г.R.			title
	1							
\$#	ssid	msid	sstyp	mstyp	sboxid	mboxid	spr	mpr
	1	2	3	3	0	0	1	1
\$#	fs	fd	dc	VC	vdc	penchk	bt	dt
	0.0	0.0	0.0	0.0	0.0	- 0	0.0	0.0
\$#	sfs	sfm	sst	mst.	sfst	sfmt	fsf	vsf
2.	34900	1.000000	0.0	0.0	0.0	0.0	0.0	0.0
¢#	goft	gofgel	laidab	maynar	shont	denth	heort	frafra
ΥII	0	0 0	0	0 0	0 0	acpen	20010	TIGITA
* ריס א	, 0	0.0	0	0.0	0.0			
PARI								
	1	1	1	1				
* 0		1	T	T		Part 1	defines the	e bird
*SECT	TON_SO	LID						
	Ţ	Ţ						
*MAT_	NULL		_					
	1	938.5000	0	0.001000	0.0	0.0	0.0	0.0
*EOS_	LINEAR	_POLYNOMIA	AL					
	1	0	2250e6					
*INIT	'IAL_VE	LOCITY_GEN	NERATION					
	1	2	0.0	116.00000	0.0	0.0		
	0.0	0.0	0.0	0.0	0.0	0.0		
*PART								
	2	2	2		Dowt 2 de	finas the	a amulia au	ton lavan
*SECT	ION_SO	LID			Fall 2 ut	ennes the	acryne ou	ler layer
	2	1	1					
*PART	. –	_	_					
	4	4	4			<i>c</i>		
*	יד סיפ ואס די	ד	Т		Part 4 de	etines the	acrylic ini	ner layer
"SECI	10N_50	1111	1					•
	4							
*MA.I.	PLASTI	C_KINEMAT	IC					
	2	1180.00003	3.1000e+09	0.400007	.3500e+07	0.0	0.500000	
	0.0	0.0	0.0	0.0				
*MAT_	PLASTI	C_KINEMAT	IC					
	4	1180.00003	3.1000e+09	0.4000007	.3500e+07	0.0	0.500000	
	0.0	0.0	0.0	0.0				
*PART								
	3	3	3		Dart 2 d	finas the	DVR mid	dla lavor
*SECT	ION SO	LID	-		rait 5 00	simes me		ine layer
		1	1					
*MAT	VISCOR	LASTIC	_					

3 1100.00002.0000e+091.0000e+096.9000e+05 12.600000 \$ \$ NODES \$ *NODE 1,0.115000010,0.00000000E+00,0.00000000E+00,5,7 2,0.115045860,0.00000000E+00,9.557154030E-03,2,6 3,0.115183055,0.00000000E+00,1.911343262E-02,2,6 ••• ••• ... \$ \$ ELEMENT CARDS FOR SOLID ELEMENTS \$ *ELEMENT_SOLID 1,2,1,1297,1333,37,2,1298,1334,38 ${\tt 2, 2, 1297, 2593, 2629, 1333, 1298, 2594, 2630, 1334}$ 3, 2, 37, 1333, 1369, 73, 38, 1334, 1370, 74 ••• ... ••• *END



APPENDIX F: CHART OF PRESSURE AGAINST MIU

APPENDIX G – DIFFERENT FORMULATIONS OF DIFFERENT MESH/ PARTICLES DENSITY

2 models are modeled for each formulation. One has a higher mesh or particle density while the other has a lower mesh or particle density. The relevant information is summarized in table G1.

No.	Bird Model	Mesh Density / Number	Computational	
		of Nodes	Time	
1	Lagrangian Model	525 elements for a quarter	5 minutes	
	(Coarse Mesh)	model		
2	Lagrangian Model	1568 elements for a	14 minutes	
	(Denser Mesh)	quarter model		
3	ALE Moel	3528 elements	3 hours 45 minutes	
	(Coarse Mesh)			
4	ALE Model	10000 elements	6 hours 34 minutes	
	(Coarse Mesh)			
5	SPH Model	2662 particles	4 minutes	
	(Less Particles)			
6	SPH Model	5566 particles	15 minutes	
	(More Particles)			

Table G1: Mesh Density and Computational Time for the Various Bird Model

Figure G1 to G3 shows the plot of effective stress, resultant displacement and pressure for the 2 models of different mesh density of the Lagrangian bird model. Figure G4 to G6 shows the plots for the ALE model. Figure G7 to G9 shows the plots for the SPH model.

Basically the various plots pertaining to each formulation show great resemblance to one another. The results of this mesh sensitivity study indicate that the relativity coarse models are sufficient to give a comparable result to the other formulations. Generally, the more nodes there are the longer the computational time.







APPENDIX H – EFFECTIVE STRESS OF TRANSPARENCIES WITH DIFFERENT CURVATURE

Effective stress for transparencies of intermediate curvature between radius of curvature of 0.5m to infinity is plotted. The transparencies of the different curvature can be identified by the plate number as shown in table 3.7. Figure H1 to H3 shows the effective stress experienced by the outer, middle and inner layer of the transparencies with different curvature. Generally the gradual increase or decrease of the effective stress due to a change in the curvature can be observed.





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